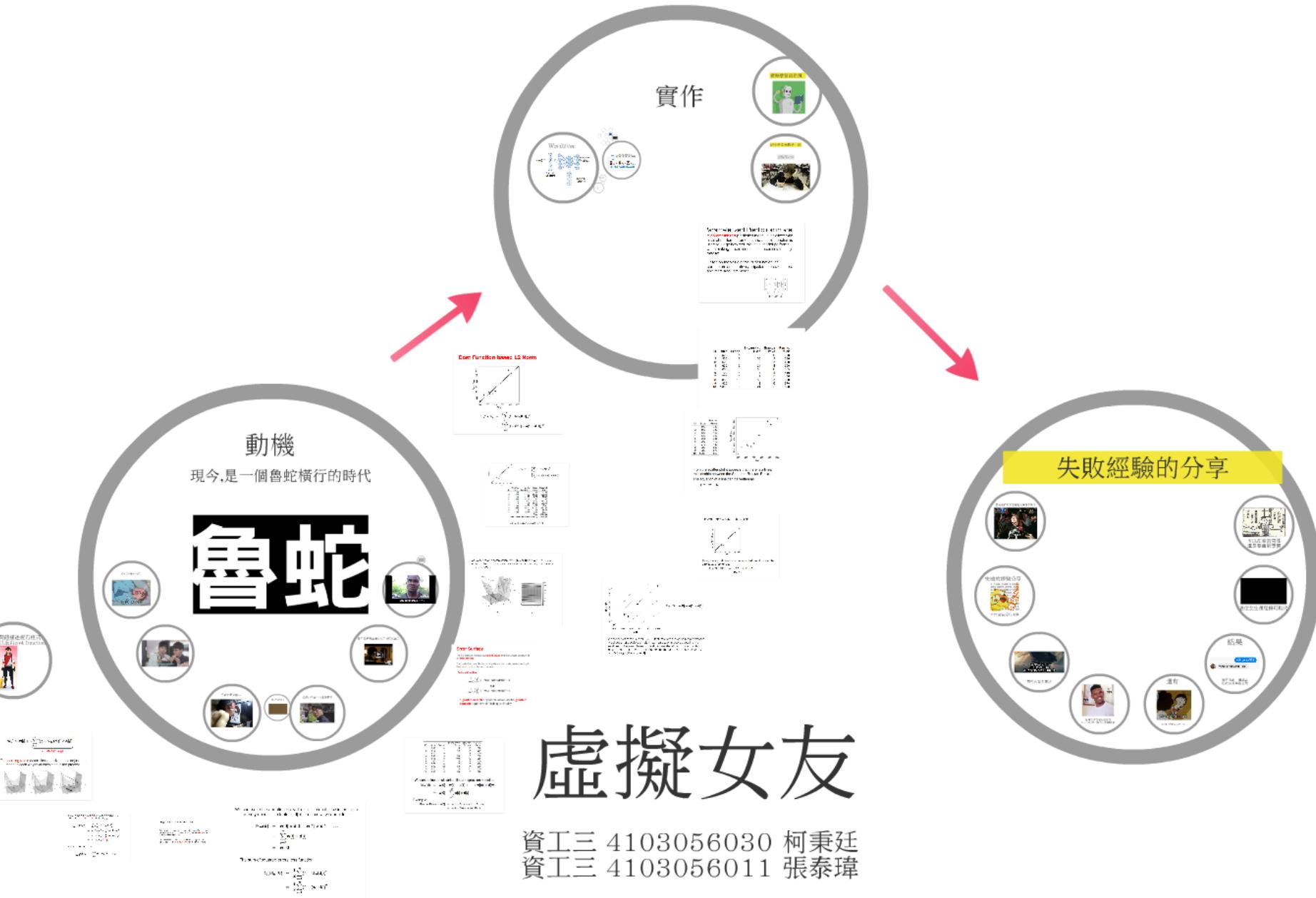
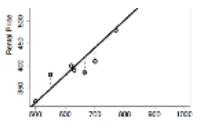


失敗的理由  
 0. 雖然我們失敗了，但是還是有些經驗可以跟大家分享。  
 0. 不要前一天再開始做  
 1..PPT講話太沒水準  
 2. 還是沒有很好的語料去訓練機器人  
 3. 訓練過程中，也沒有一個很好的benchmark (指標)，去衡量機器人回一句話到底好不好

結論：  
 1. 算是失敗收場，只能得到一個講話很賤的女朋友  
 2. 所以在座女生可以放心，你們暫時不會被人工智慧取代QQ





$$\begin{aligned} L_{\mathcal{D}}(\mathcal{M}_{\mathbf{w}}, \mathcal{D}) &= \frac{1}{2} \sum_{i=1}^n (t_i - \mathcal{M}_{\mathbf{w}}(\mathbf{d}_i[1]))^2 \\ &= \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}_i[1]))^2 \end{aligned}$$

# 動機

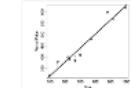
現今,是一個魯蛇橫行的時代

# 魯蛇



$\mathbf{w}[j] \leftarrow \mathbf{w}[j] + \alpha \sum_{i=1}^n ((t_i - \mathcal{M}_{\mathbf{w}}(\mathbf{d}_i)) \times \mathbf{d}_i[j])$

Learn the weight by adjusting the weight at each step in the process.

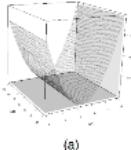


ID	SIZE	FLOOR	WORLD PRICE	ESTIMATE PRICE
1	500	4	8	C 380
2	600	7	9	A 390
3	820	9	7	A 400
4	630	5	24	B 390
5	650	8	105	C 385
6	700	4	8	B 410
7	770	10	7	B 400
8	880	12	50	A 500
9	880	14	8	C 570
10	1000	9	24	B 520

Sum of squared errors (Sum of Squares):

with  $w[0] = 8.47$  and  $w[1] = 0.26$

For every possible combination of weights,  $w[0]$  and  $w[1]$ , corresponding sum of squared error value that can be made is a surface:



(a)



(b)

## Error Surface

The  $x-y$  plane is known as a **weight space** and the surface is known as an **error surface**.

The model that best fits the training data is the model corresponding to the lowest point on the error surface.

## Optimal Condition

$$\frac{\partial}{\partial w[0]} \sum_{i=1}^n (t_i - (w[0] + w[1] \times d_i[1]))^2 = 0$$

$$\text{and}$$

$$\frac{\partial}{\partial w[1]} \sum_{i=1}^n (t_i - (w[0] + w[1] \times d_i[1]))^2 = 0$$

A **guided search** approach known as the **gradient descent** algorithm for finding optimality.

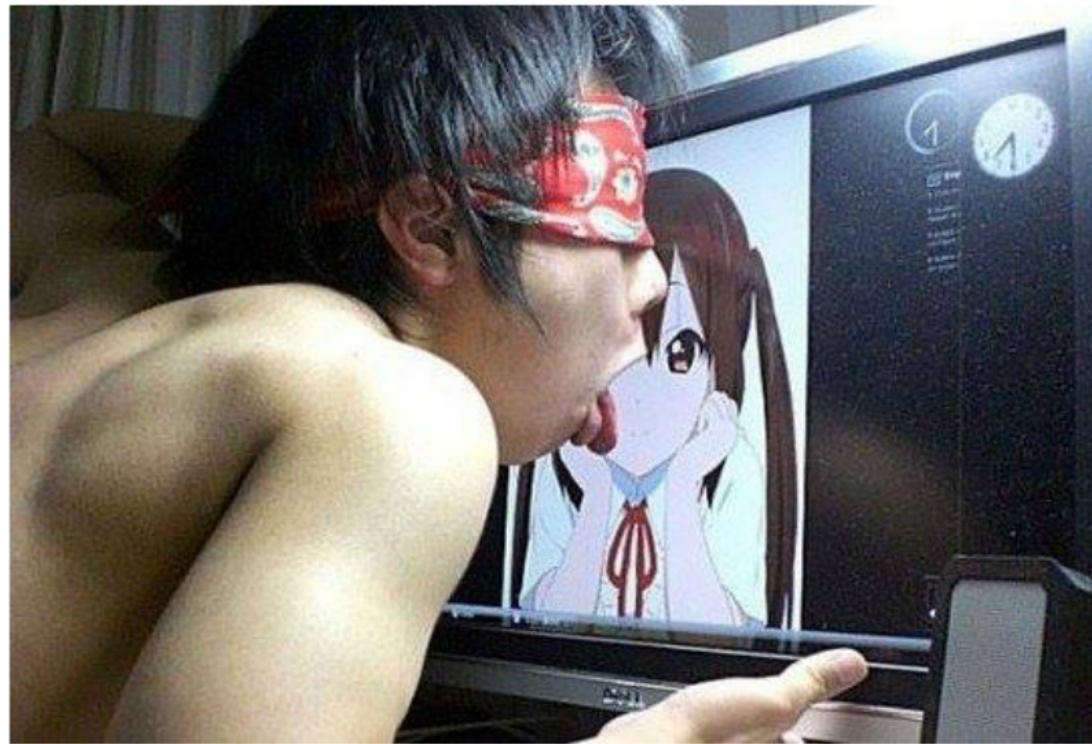
ID	SIZE	FLOOR	BROADBAND RATE	ENERGY RATING	RENTAL PRICE
1	500	4	8	C	380
2	600	7	9	A	390
3	820	9	7	A	400
4	630	5	24	B	390
5	650	8	105	C	385
6	700	4	8	B	410
7	770	10	7	B	400
8	880	12	50	A	500
9	880	14	8	C	570
10	1000	9	24	B	520

原本只有偶爾被閃瞎





只能在電腦前....



# 剛看完月薪嬌妻



薪嬌妻



但現實生活中我還是肥宅

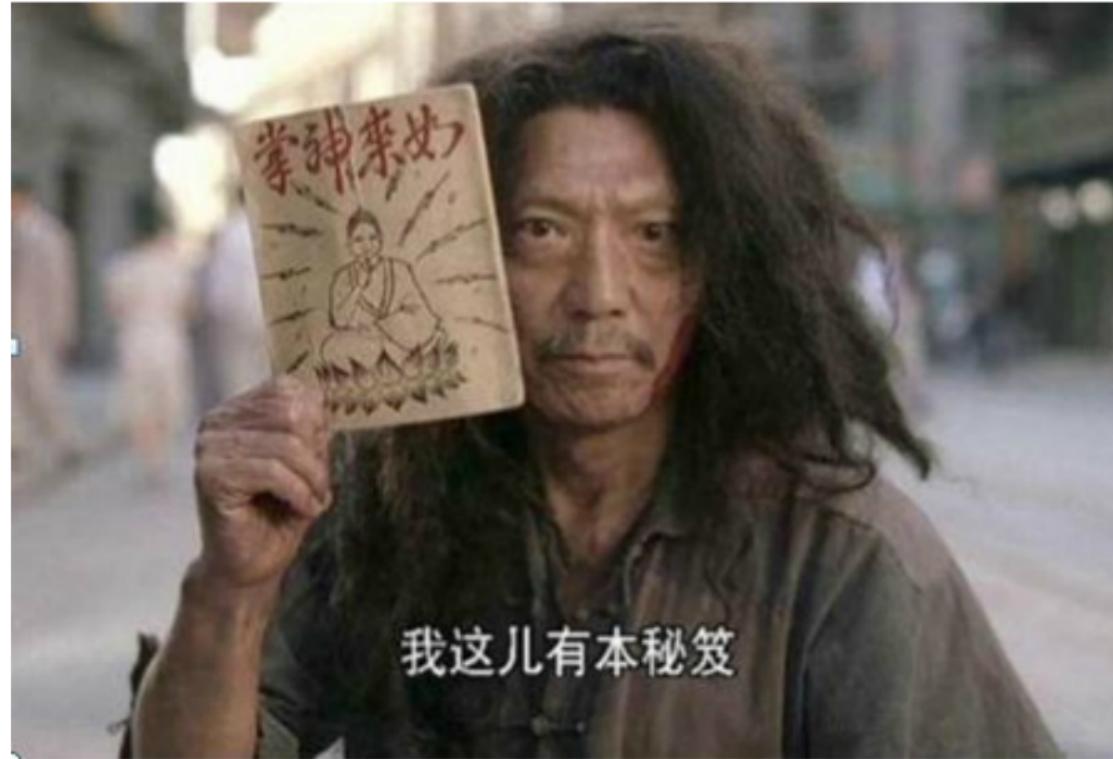


日本已經有虛擬女友了,但要8萬元

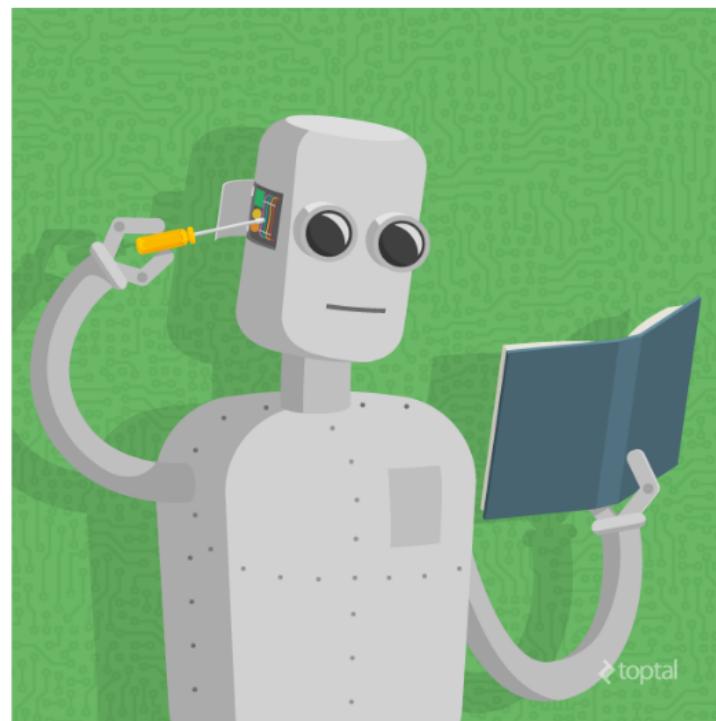




怎麼你突然哭起來了？？



# 機器學習的原理



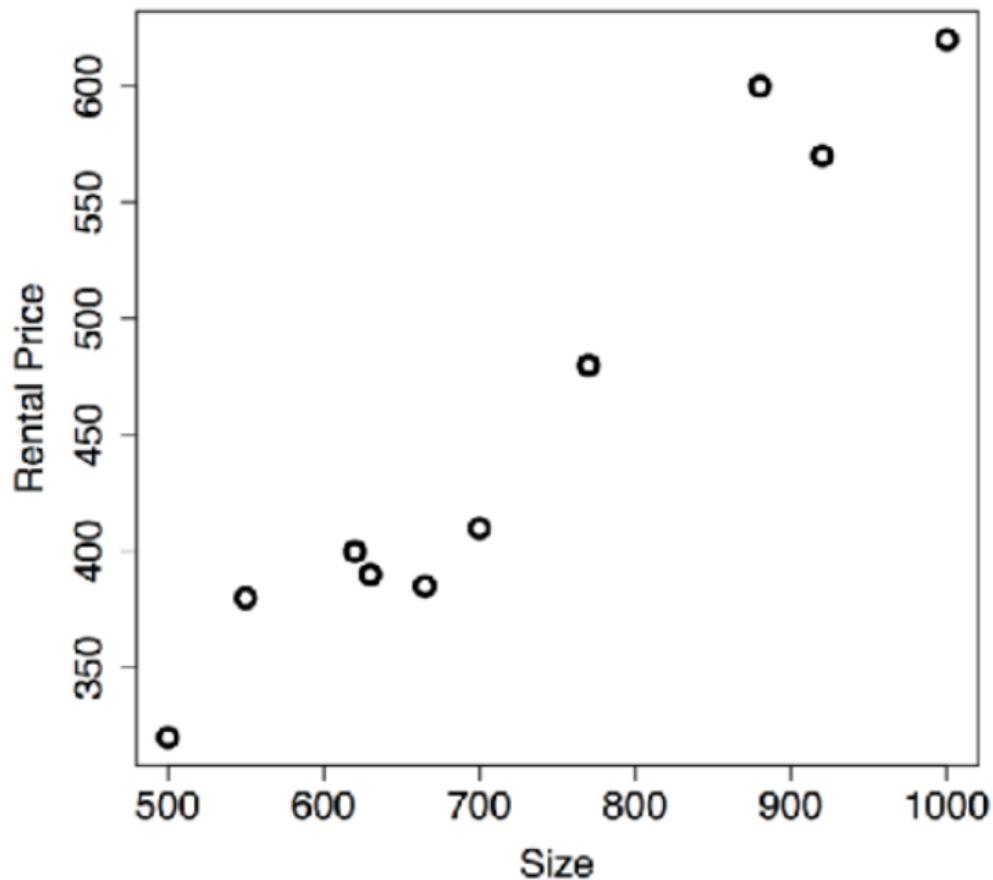
跟小學生考數學一樣

$$2X+Y=10$$



ID	SIZE	FLOOR	BROADBAND	ENERGY	RENTAL
			RATE	RATING	PRICE
1	500	4	8	C	320
2	550	7	50	A	380
3	620	9	7	A	400
4	630	5	24	B	390
5	665	8	100	C	385
6	700	4	8	B	410
7	770	10	7	B	480
8	880	12	50	A	600
9	920	14	8	C	570
10	1,000	9	24	B	620

ID	SIZE	RENTAL PRICE
1	500	320
2	550	380
3	620	400
4	630	390
5	665	385
6	700	410
7	770	480
8	880	600
9	920	570
10	1,000	620

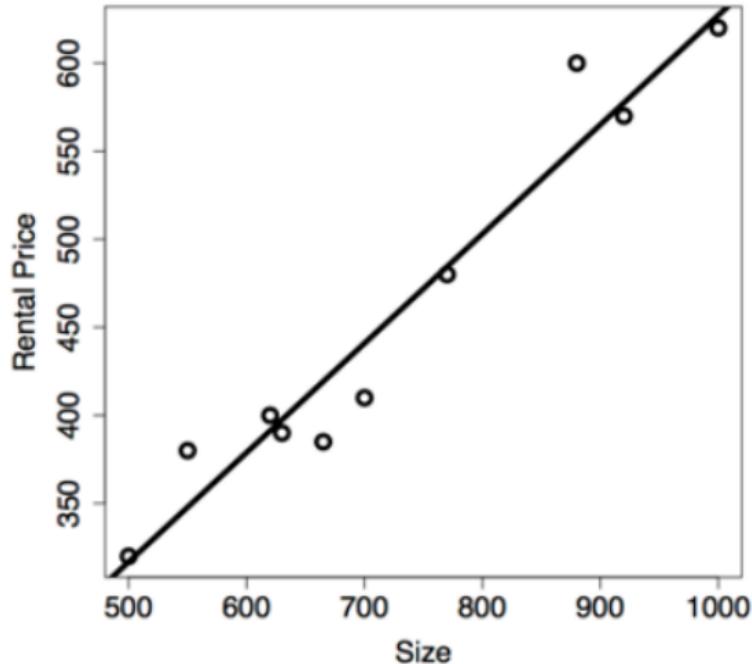


From the scatter plot it appears that there is a linear relationship between the SIZE and RENTAL PRICE.

The equation of a line can be written as:

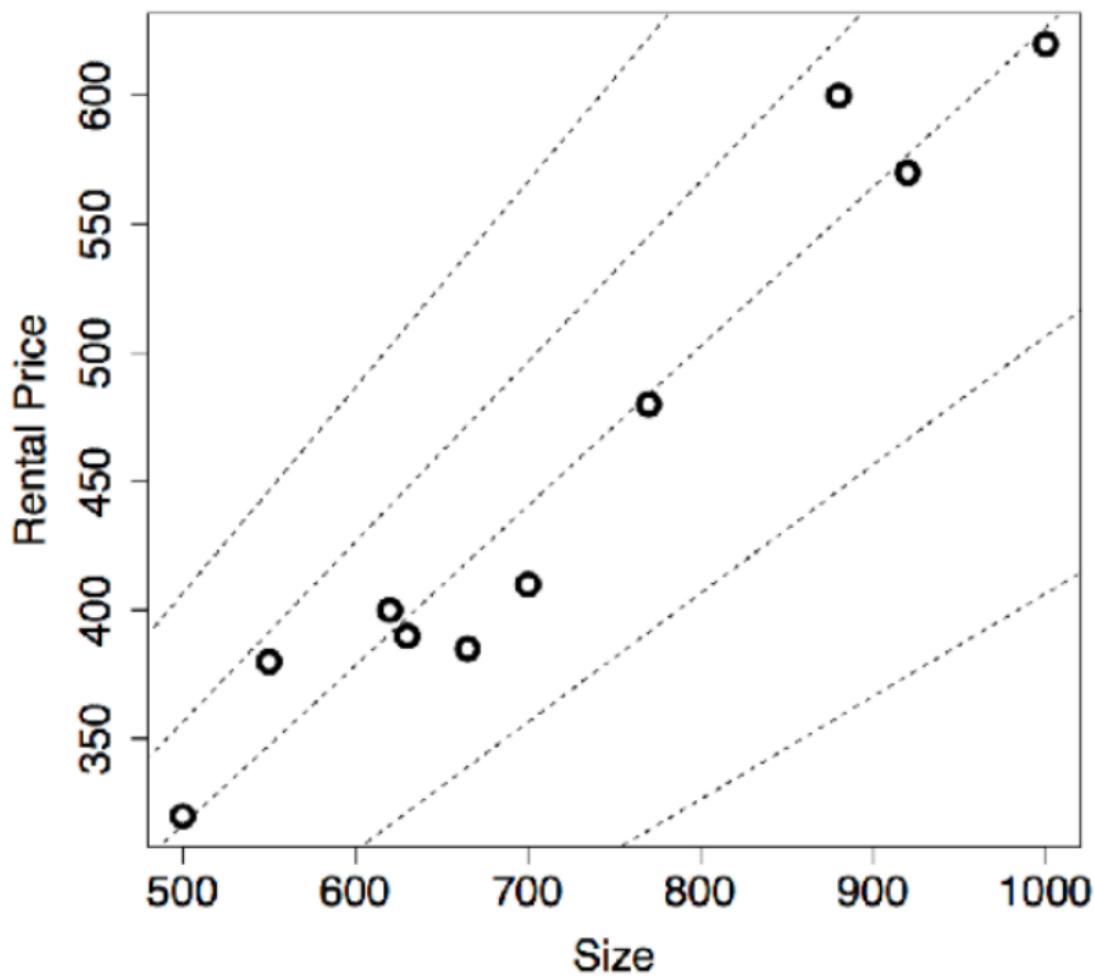
$$y = mx + b$$

$$\text{RENTAL PRICE} = 6.47 + 0.62 \times \text{SIZE}$$



Using this model determine the expected rental price of the 730 square foot office:

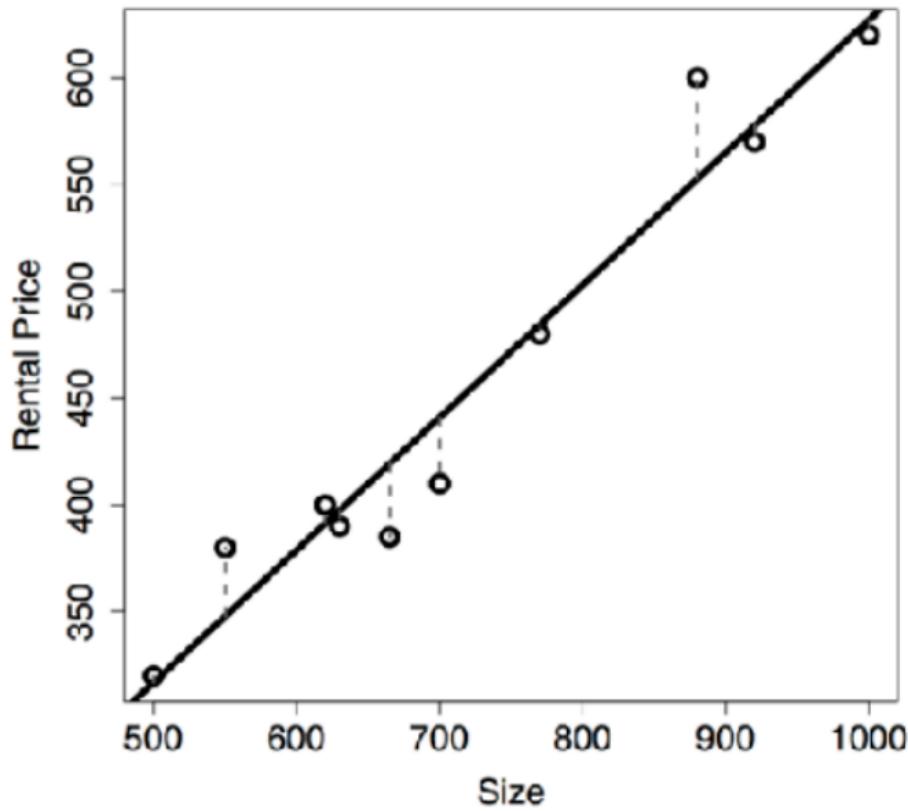
$$\begin{aligned}\text{RENTAL PRICE} &= 6.47 + 0.62 \times 730 \\ &= 459.07\end{aligned}$$



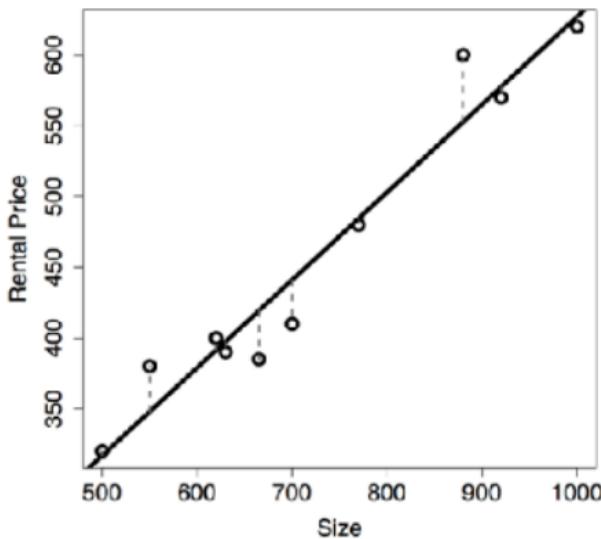
$$M_w(d) = w[0] + w[1] \times d[1]$$

A scatter plot of the  $\text{SIZE}$  and  $\text{RENTAL\_PRICE}$  features from the office rentals dataset. A collection of possible simple linear regression models capturing the relationship between these two features are also shown. For all models  $w[0]$  is set to 6.47. From top to bottom the models use 0.4, 0.5, 0.62, 0.7 and 0.8 respectively for  $w[1]$ .

# Cost Function based L2 Norm



$$\begin{aligned}L_2(\mathbb{M}_{\mathbf{w}}, \mathcal{D}) &= \frac{1}{2} \sum_{i=1}^n (t_i - \mathbb{M}_{\mathbf{w}}(\mathbf{d}_i[1]))^2 \\&= \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}_i[1]))^2\end{aligned}$$

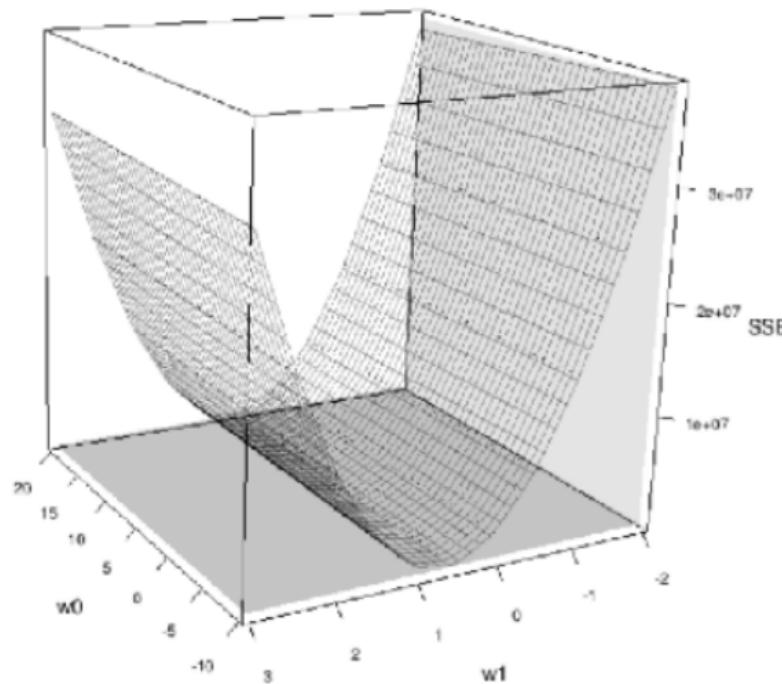


$$\begin{aligned}
 L_2(\mathbb{M}_{\mathbf{w}}, \mathcal{D}) &= \frac{1}{2} \sum_{i=1}^n (t_i - \mathbb{M}_{\mathbf{w}}(\mathbf{d}_i[1]))^2 \\
 &= \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}_i[1]))^2
 \end{aligned}$$

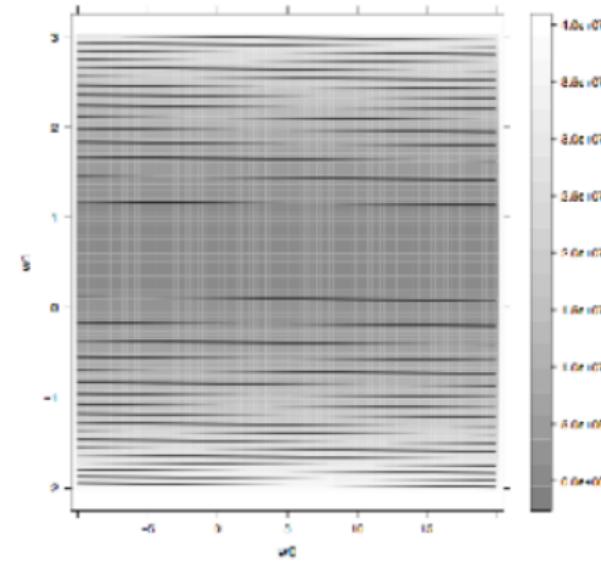
ID	RENTAL PRICE	Model Prediction	Error Error	Squared Error
1	320	316.79	3.21	10.32
2	380	347.82	32.18	1,035.62
3	400	391.26	8.74	76.32
4	390	397.47	-7.47	55.80
5	385	419.19	-34.19	1,169.13
6	410	440.91	-30.91	955.73
7	480	484.36	-4.36	19.01
8	600	552.63	47.37	2,243.90
9	570	577.46	-7.46	55.59
10	620	627.11	-7.11	50.51
			<b>Sum</b>	<b>5,671.64</b>
<b>Sum of squared errors (Sum/2)</b>				<b>2,835.82</b>

with  $\mathbf{w}[0] = 6.47$  and  $\mathbf{w}[1] = 0.62$

For every possible combination of weights,  $\mathbf{w}[0]$  and  $\mathbf{w}[1]$ , there is a corresponding sum of squared errors value that can be joined together to make a surface.



(a)



(b)

# Error Surface

The x-y plane is known as a **weight space** and the surface is known as an **error surface**.

The model that best fits the training data is the model corresponding to the **lowest point** on the error surface.

## Optimal Condition

$$\frac{\partial}{\partial \mathbf{w}[0]} \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}_i[1]))^2 = 0$$

and

$$\frac{\partial}{\partial \mathbf{w}[1]} \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}_i[1]))^2 = 0$$

A **guided search** approach known as the **gradient descent** algorithm for finding optimality

ID	SIZE	FLOOR	BROADBAND RATE	ENERGY RATING	RENTAL PRICE
1	500	4	8	C	320
2	550	7	50	A	380
3	620	9	7	A	400
4	630	5	24	B	390
5	665	8	100	C	385
6	700	4	8	B	410
7	770	10	7	B	480
8	880	12	50	A	600
9	920	14	8	C	570
10	1,000	9	24	B	620

We can define a multivariate linear regression model as:

$$\begin{aligned}
 M_{\mathbf{w}}(\mathbf{d}) &= \mathbf{w}[0] + \mathbf{w}[1] \times \mathbf{d}[1] + \cdots + \mathbf{w}[m] \times \mathbf{d}[m] \\
 &= \mathbf{w}[0] + \sum_{j=1}^m \mathbf{w}[j] \times \mathbf{d}[j]
 \end{aligned}$$

Example

$$\begin{aligned}
 \text{RENTAL PRICE} &= \mathbf{w}[0] + \mathbf{w}[1] \times \text{SIZE} + \mathbf{w}[2] \times \text{FLOOR} \\
 &\quad + \mathbf{w}[3] \times \text{BROADBAND RATE}
 \end{aligned}$$

We can make the equation above look a little neater by inventing a dummy descriptive feature,  $\mathbf{d}[0]$ , that is always equal to 1:

$$\begin{aligned}\mathbb{M}_{\mathbf{w}}(\mathbf{d}) &= \mathbf{w}[0] \times \mathbf{d}[0] + \mathbf{w}[1] \times \mathbf{d}[1] + \dots \\ &= \sum_{j=0}^m \mathbf{w}[j] \times \mathbf{d}[j] \\ &= \mathbf{w} \cdot \mathbf{d}\end{aligned}$$

The sum of squared errors loss function

$$\begin{aligned}L_2(\mathbb{M}_{\mathbf{w}}, \mathcal{D}) &= \frac{1}{2} \sum_{i=1}^n (t_i - \mathbb{M}_{\mathbf{w}}(\mathbf{d}_i))^2 \\ &= \frac{1}{2} \sum_{i=1}^n (t_i - (\mathbf{w} \cdot \mathbf{d}_i))^2\end{aligned}$$

$$\mathbf{w}[j] \leftarrow \mathbf{w}[j] + \alpha \times \mathbf{errorDelta}(\mathcal{D}, \mathbf{w}[j])$$

- Each weight is considered independently and for each one a small adjustment is made by adding a small **delta** value to the current weight,  $\mathbf{w}[j]$ .
- This adjustment should ensure that the change in the weight leads to a move *downwards* on the error surface.

Imagine for a moment that our training dataset,  $D$  contains **just one training example**:  $(\mathbf{d}, t)$

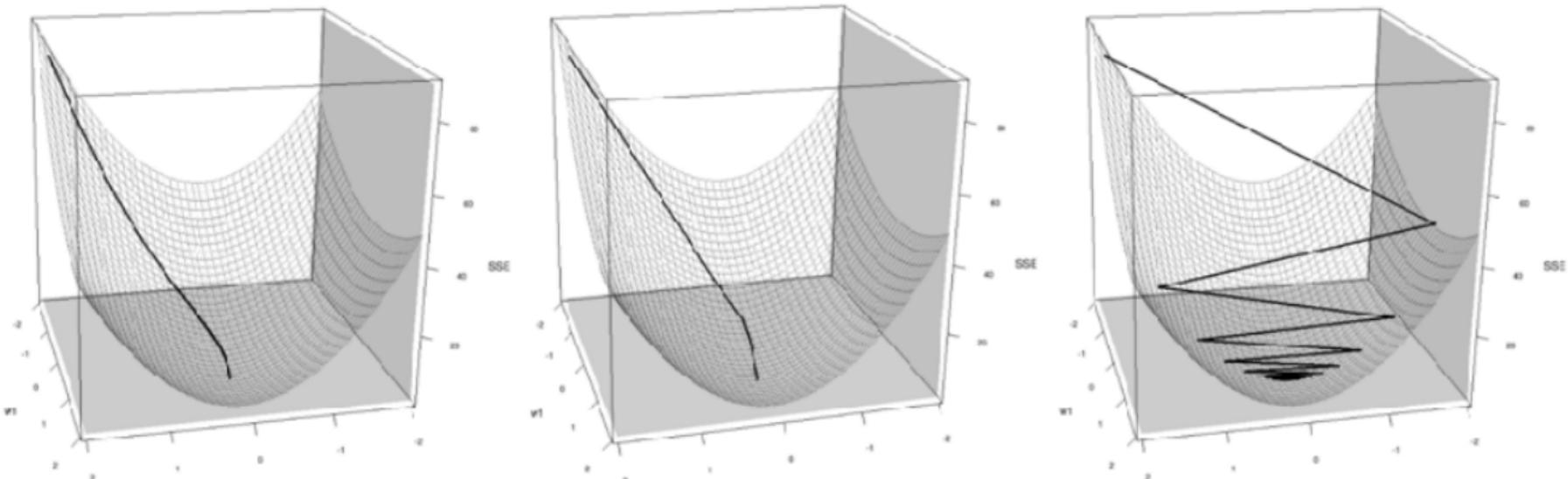
$$\begin{aligned}\frac{\partial}{\partial \mathbf{w}[j]} L_2(\mathbb{M}_{\mathbf{w}}, \mathcal{D}) &= \frac{\partial}{\partial \mathbf{w}[j]} \left( \frac{1}{2} (t - \mathbb{M}_{\mathbf{w}}(\mathbf{d}))^2 \right) \\ &= (t - \mathbb{M}_{\mathbf{w}}(\mathbf{d})) \times \frac{\partial}{\partial \mathbf{w}[j]} (t - \mathbb{M}_{\mathbf{w}}(\mathbf{d})) \\ &= (t - \mathbb{M}_{\mathbf{w}}(\mathbf{d})) \times \frac{\partial}{\partial \mathbf{w}[j]} (t - (\mathbf{w} \cdot \mathbf{d})) \\ &= (t - \mathbb{M}_{\mathbf{w}}(\mathbf{d})) \times \textcolor{red}{-\mathbf{d}[j]}\end{aligned}$$

multiple training instances

$$- \frac{\partial}{\partial \mathbf{w}[j]} L_2(\mathbb{M}_{\mathbf{w}}, \mathcal{D}) = \sum_{i=1}^n ((t_i - \mathbb{M}_{\mathbf{w}}(\mathbf{d}_i)) \times \mathbf{d}_i[j])$$

$$\mathbf{w}[j] \leftarrow \mathbf{w}[j] + \alpha \underbrace{\sum_{i=1}^n ((t_i - \mathbb{M}_{\mathbf{w}}(\mathbf{d}_i)) \times d_i[j])}_{errorDelta(\mathcal{D}, \mathbf{w}[j])}$$

The **learning rate  $\alpha$**  determines the size of the adjustment made to each weight at each step in the process.

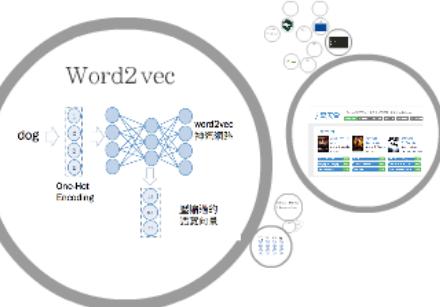


結論：

- 把問題描述成方程式
- 可以求出cost function



# 實作



機器學習的原理



派小學生考數學一樣



## Parameterized Prediction model

A **parameterized** prediction model is initialized with a set of random parameters and an error function is used to judge how well this initial model performs when making predictions for instances in a training dataset.

Based on the value of the error function the parameters are iteratively adjusted to create a more and more accurate model.

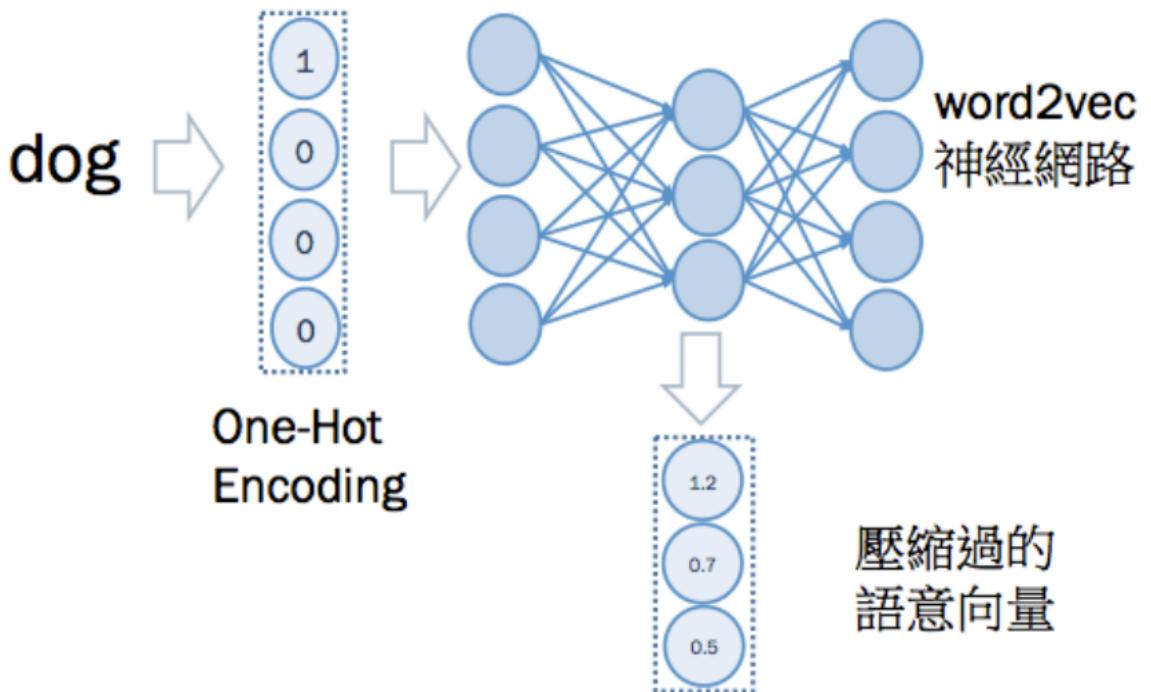
$$\begin{bmatrix} y_1 \\ y_2 \\ \vdots \\ y_n \end{bmatrix} = \begin{bmatrix} 1 & x_1 \\ 1 & x_2 \\ \vdots & \vdots \\ 1 & x_n \end{bmatrix} \begin{bmatrix} \beta_0 \\ \beta_1 \\ \vdots \\ \beta_p \end{bmatrix} + \begin{bmatrix} e_1 \\ e_2 \\ \vdots \\ e_n \end{bmatrix}$$
$$Y = X\beta + e$$

Cost Function based L2 Norm



ID	SIZE	FLOOR	BROADBAND RATE	ENERGY RATING	RENTAL PRICE
1	500	4	8	C	320
2	550	7	50	A	380
3	620	9	7	A	400
4	630	5	24	B	390
5	665	8	100	C	385
6	700	4	8	B	410
7	770	10	7	B	480
8	880	12	50	A	600
9	920	14	8	C	570

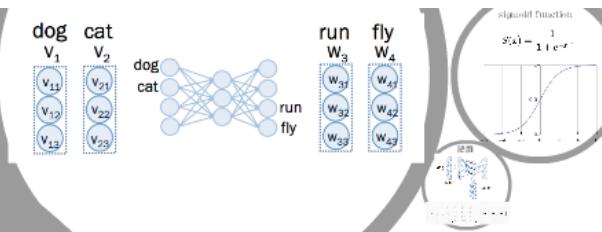
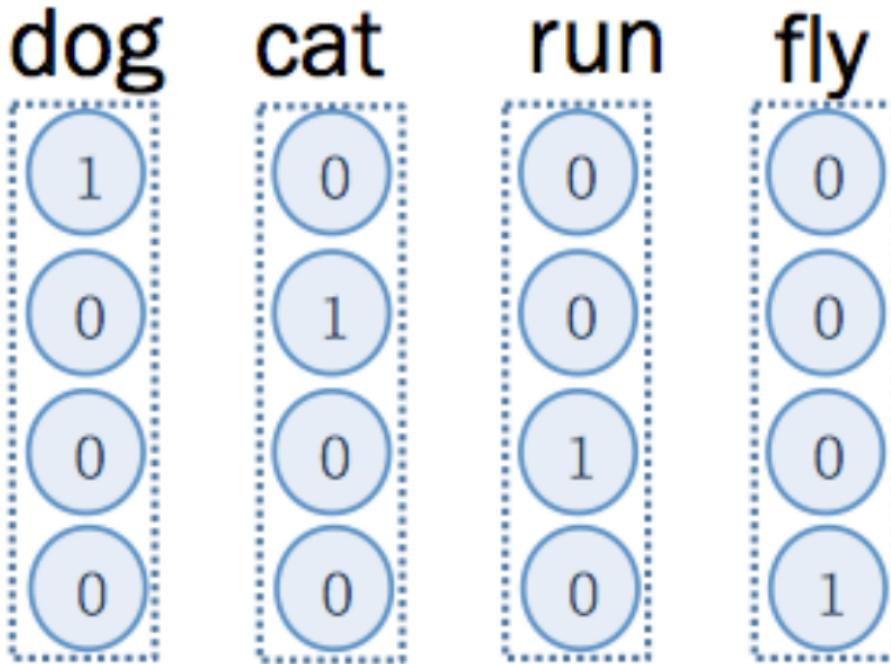
# Word2vec



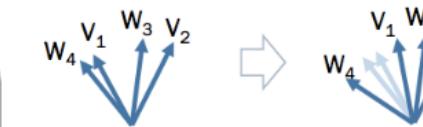
dog	1	0	0	0
cat	0	1	0	0
run	0	0	1	0
fly	0	0	0	1

句子也可以轉成向量  
叫做sentence2vec

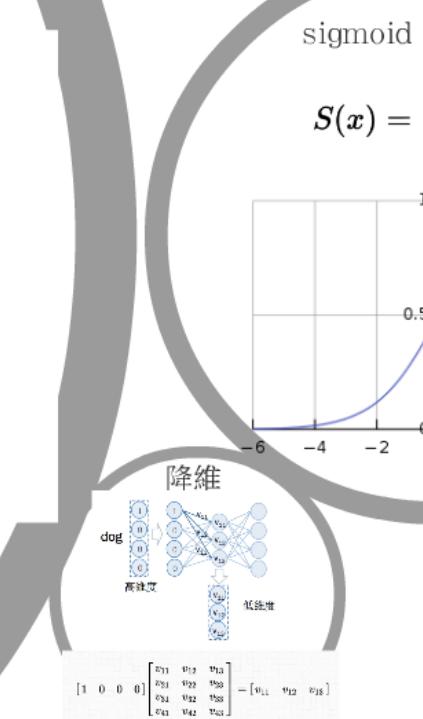
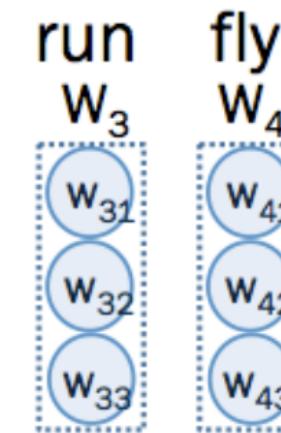
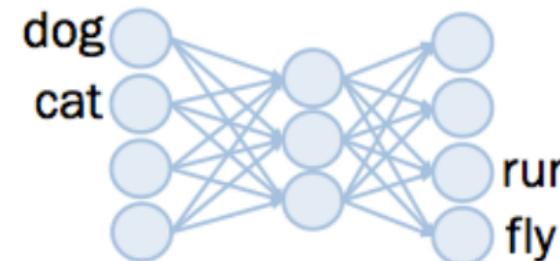
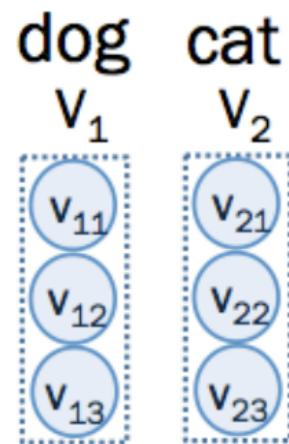
dog cat run fly



不相近的字 角度變大



# 字詞前後關係



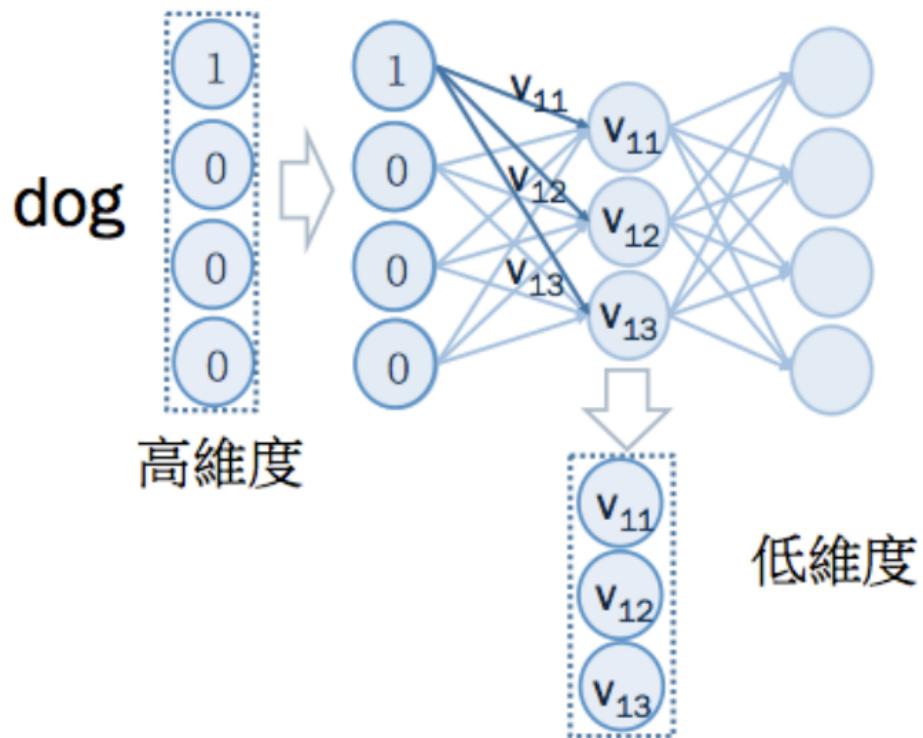
$$[1 \ 0 \ 0 \ 0] \begin{bmatrix} v_{11} & v_{12} & v_{13} \\ v_{21} & v_{22} & v_{23} \\ v_{31} & v_{32} & v_{33} \\ v_{41} & v_{42} & v_{43} \end{bmatrix} - [v_{11} \ v_{12} \ v_{13}]$$

-6

-4

-2

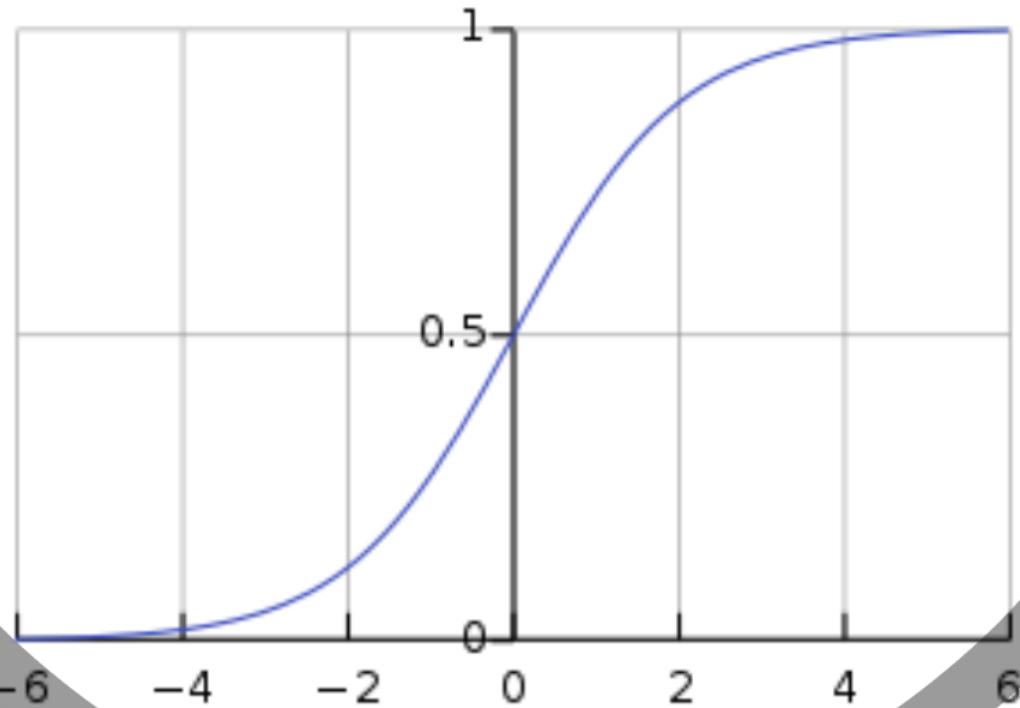
# 降維



$$\begin{bmatrix} 1 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} v_{11} & v_{12} & v_{13} \\ v_{21} & v_{22} & v_{23} \\ v_{31} & v_{32} & v_{33} \\ v_{41} & v_{42} & v_{43} \end{bmatrix} = \begin{bmatrix} v_{11} & v_{12} & v_{13} \end{bmatrix}$$

# sigmoid function

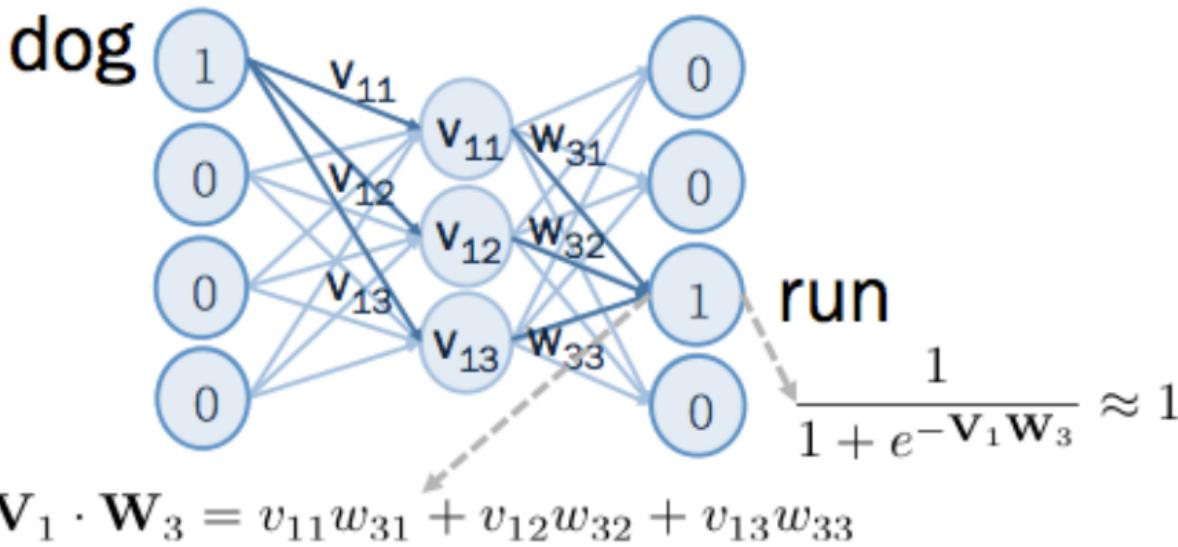
$$S(x) = \frac{1}{1 + e^{-x}}.$$



降維

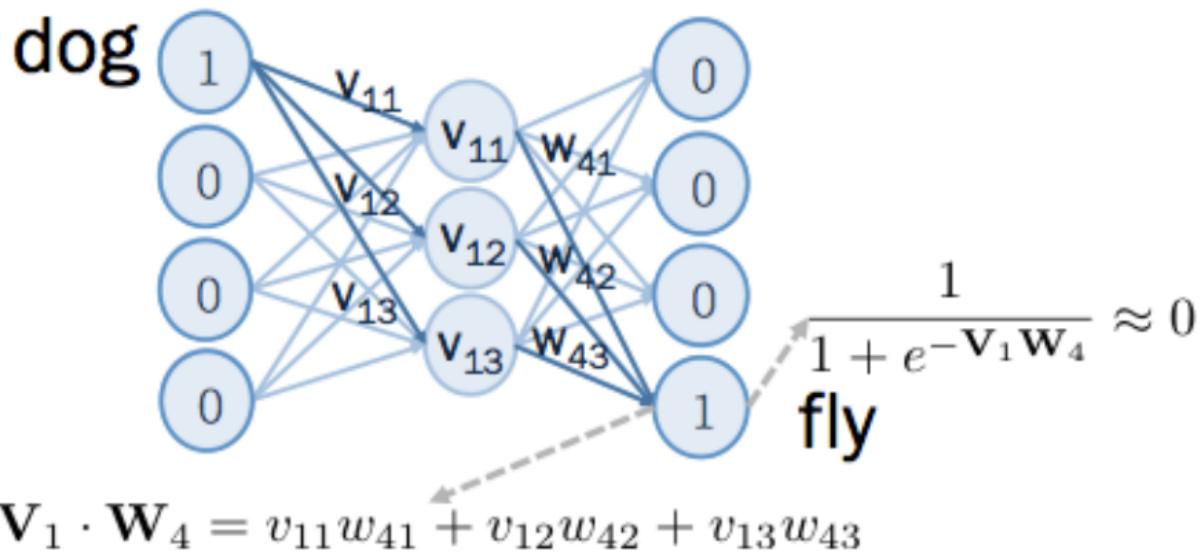


unction

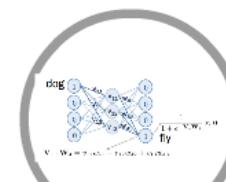
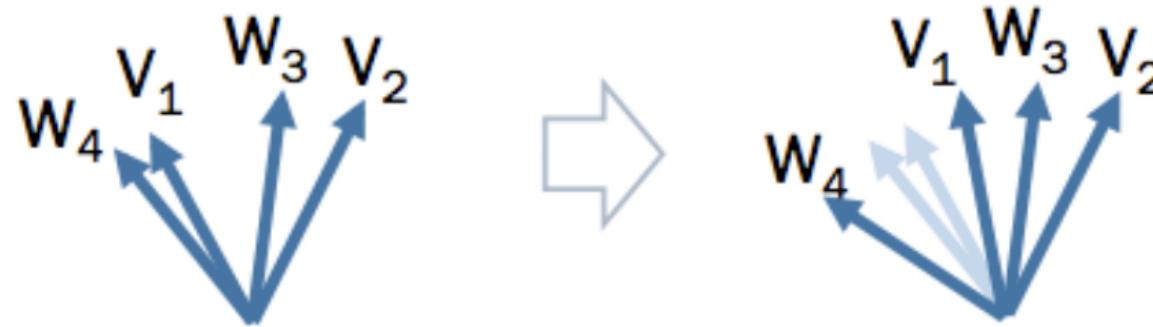


相似的字 矾角變小





不相近的字 角度變大



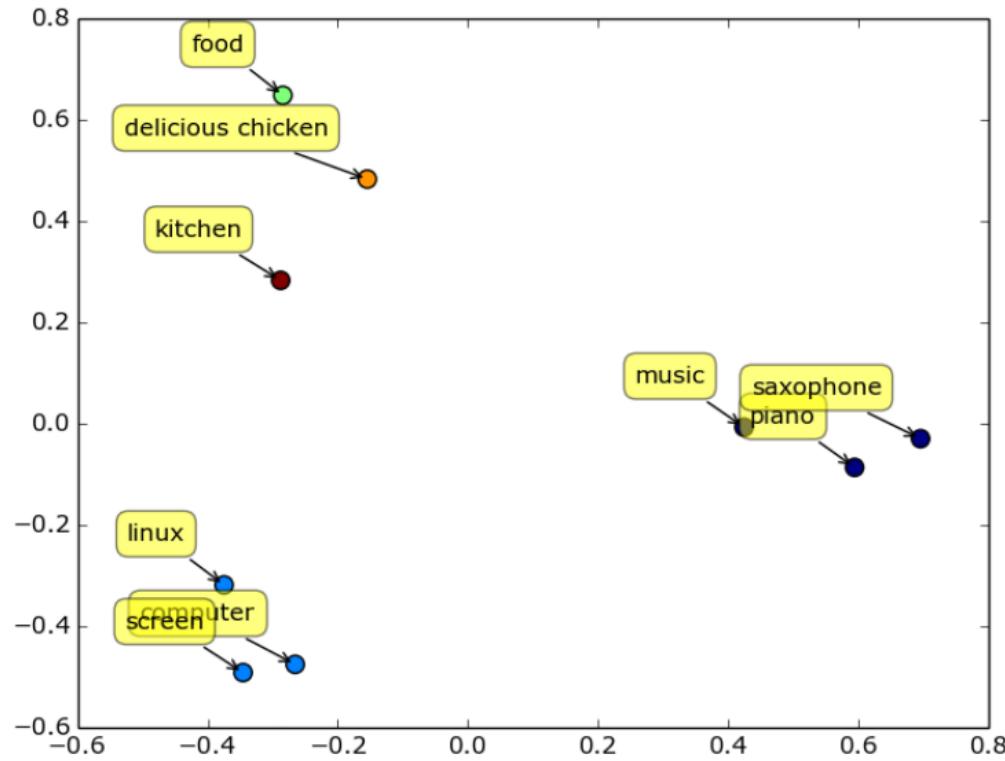
相似的字 夾角變小



dog

$V_1 \cdot W$

# 結果:



句子也可以轉成向量  
叫做sentence2vec



Scrapy

例如:

# 字幕天堂

输入关键词搜索字幕资源 中文名搜索不到就用英文名试试

[最新影剧集](#) [神盾局特工](#) [摩登家庭](#) [无耻之徒](#) [生活大爆炸](#) [最后一个男人](#)

## 热门字幕下载



金刚狼3：殊死一战

Logan

类型: 剧情/动作/科幻

地区: 美国



美女与野兽

Beauty and the

类型: 爱情/歌舞/奇幻

地区: 美国



速度与激情8

The Fate of the

类型: 动作/犯罪

地区: 美国/日本/法国/

[They're Out of the](#) [查看](#)

[El abismo... today](#) [查看](#)

[The Story of Edgar](#) [查看](#)

[演员工作室：金·凯瑞](#) [查看](#)

[A Night at the Mov](#) [查看](#)

[The Calm at the Ed](#) [查看](#)

[探险活宝 第一季](#) [查看](#)

[吾父吾血](#) [查看](#)

[彩虹小马：小马国女孩](#) [查看](#)

句子也可以轉成向量

[sentence2vec](#)



1 1  
2 00:00:00,500 --> 00:00:04,430  
3 平匡 你可以成為我的男朋友嗎  
4  
5 2  
6 00:00:04,430 --> 00:00:05,990  
7 我和你成為戀人嗎  
8  
9 3  
10 00:00:05,990 --> 00:00:07,620  
11 和你交往的話  
12  
13 4  
14 00:00:07,620 --> 00:00:11,460  
15 既不用對周圍隱瞞 也不用刻意注意些什麼  
16



專粉

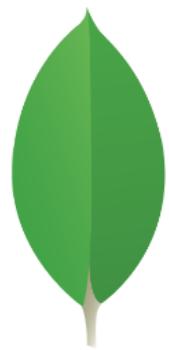




# 使用到的技術







mongoDB®

使用到的套件

sentence2 vec



# Scrapy

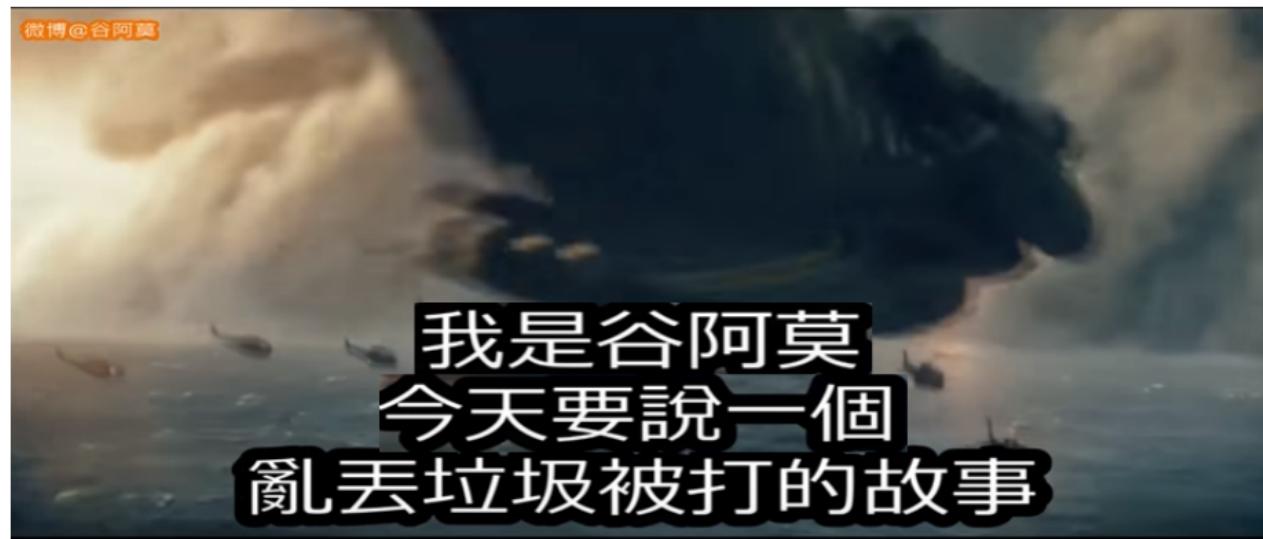
最後我們的女友機器人算是失敗了



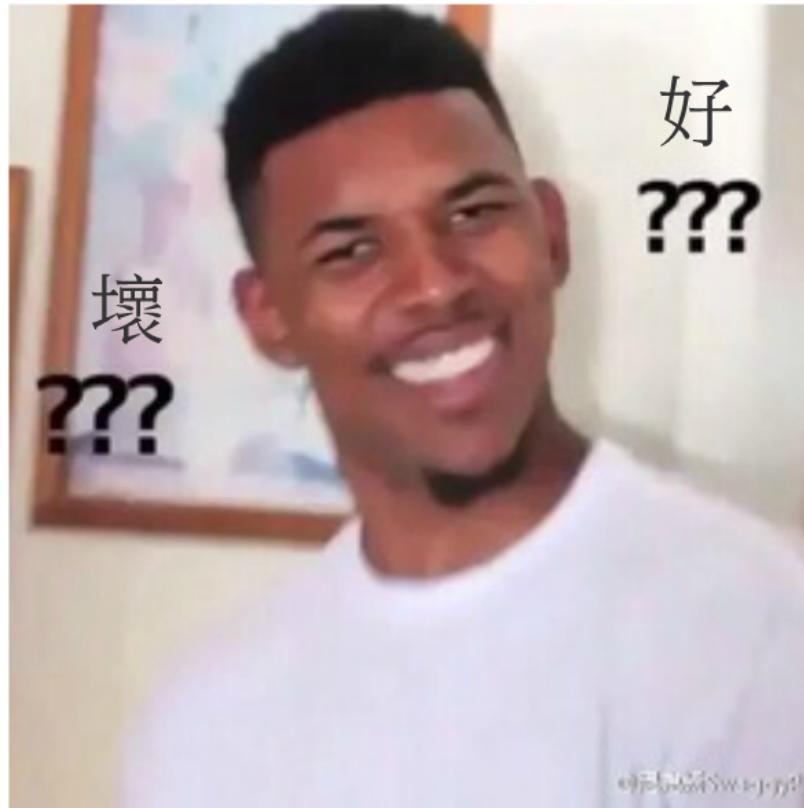
# 失敗的經驗分享



PTT留言沒有水準



電影內容太廣泛



訓練的過程沒有很好的  
benchmark (指標)來判斷好壞

# 還有



不要把作業拖到最後一天...

# 結果

今天告白被拒絕了



他可能是叫你快點死之類的

我們得到一個講話  
比較沒水準的女友



各位女生還是無可取代



所以在座的男性  
還是要面對事實

